

# Breaking the Twinkle Authenticated Encryption Scheme and Analyzing Its Underlying Permutation

## Group work at Asian Symmetric Key (ASK) workshop 2024

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# Summary

- This talk presents **cryptanalysis for Twinkle-family**, a low-latency AE or MAC proposed at IACR CiC 2024.
- Mode-analysis:
  - broke claimed security **when confidentiality is higher than integrity**
  - **nonce-respect**, recovering  $c$ -bit authentication key,  $c \in \{512, 1024\}$ , with  $O(2^t)$  queries, where  $t \in \{64, 128\}$  is a tag size.
- Primitive-analysis:
  - analyzed **an internal permutation** (1280-bit state, SPN structure)
  - developed automated tool for several approaches
  - improved the attacks by designers by using **differential-linear distinguisher**

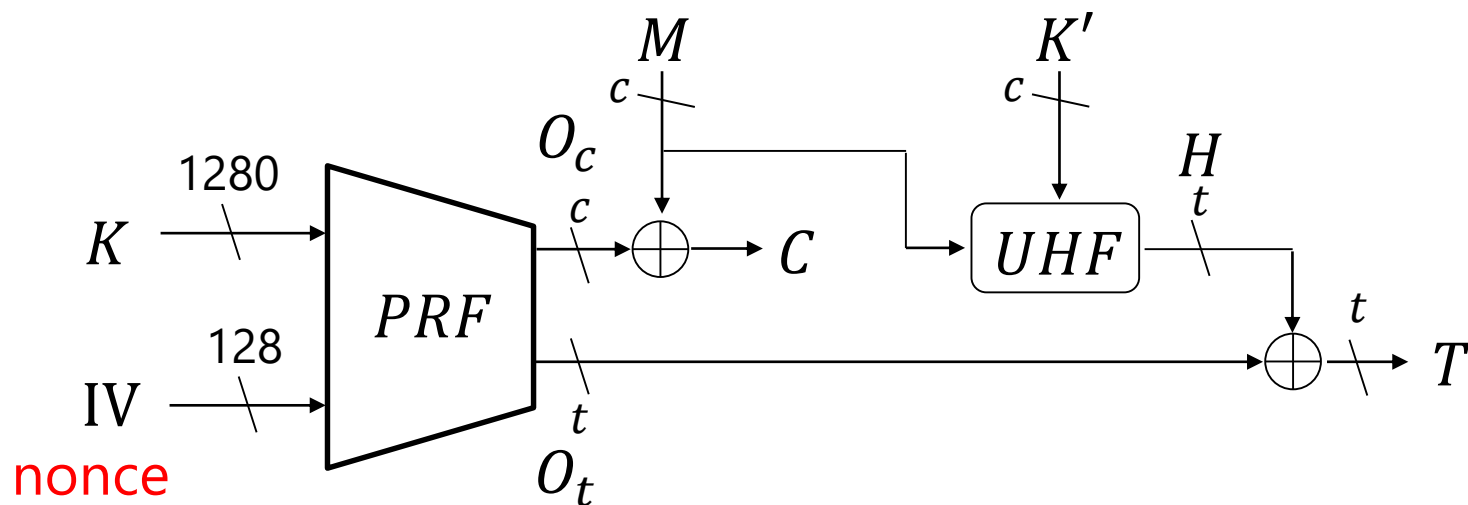
# Motivation of Twinkle

- The goal is to provide memory protection, by designing domain-specific AE and MACs tailored for system-level security.
- **Twinkle-AE: Cache-line encryption** (target of this paper)
  - The cache line (plaintext) size,  $c$ , is either 512 bits or 1024 bits.
  - The tag size,  $t$ , is either 64 or 128 bits.
- **Twinkle-PA: Pointer authentication**
  - Input size is 128 bits, a 64-bit pointer address and a 64-bit context.
  - The tag size is at most 128 bits, and can be truncated:  $1 \leq t \leq 128$ .
- How to optimize designs for low latency in those use cases?

# Design Approach of Twinkle-AE

- use of large keys
- single call of a large PRF
- PRF takes nonce, so every invocation derives a new random string.
  - Use a part of PRF output for encryption (one-time pad)
  - Use a part of PRF output for authentication: (Wegman-Carter MAC)

parallel

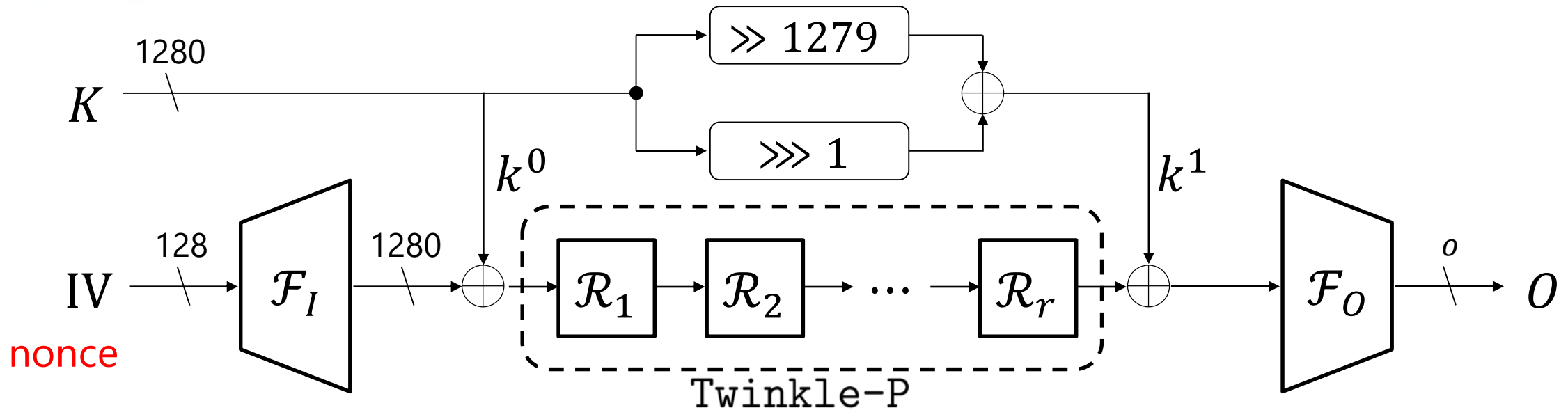


$$UHF: \sum_{i=0}^{c/t-1} M_i \otimes K'_i$$

parallel

# Design of Twinkle-PRF

- Even-Mansour construction thanks to a large key.
  - $\mathcal{F}_I$  is almost 10 copies of  $IV$ : fast and parallel.
  - $\mathcal{F}_O$  is almost truncation: fast.
  - $R$  is a parameter depending on the confidentiality level.



# Claimed Security of Twinkle-AE

Cache line size

Integrity = tag size

Versions	Confidentiality	Integrity ( $t$ )
Twinkle-AE-512a	128	64
Twinkle-AE-512b	128	128
Twinkle-AE-512c	256	128
Twinkle-AE-1024a	128	64
Twinkle-AE-1024b	128	128
Twinkle-AE-1024c	256	128

higher  
confidentiality

Table 3: Twinkle-AE Versions and Security in Bits

- 4 schemes claim higher confidentiality than integrity.
- Confidentiality / Integrity is not defined in the original paper.

# Generic Attacks on Twinkle-AE: Authentication Key Recovery

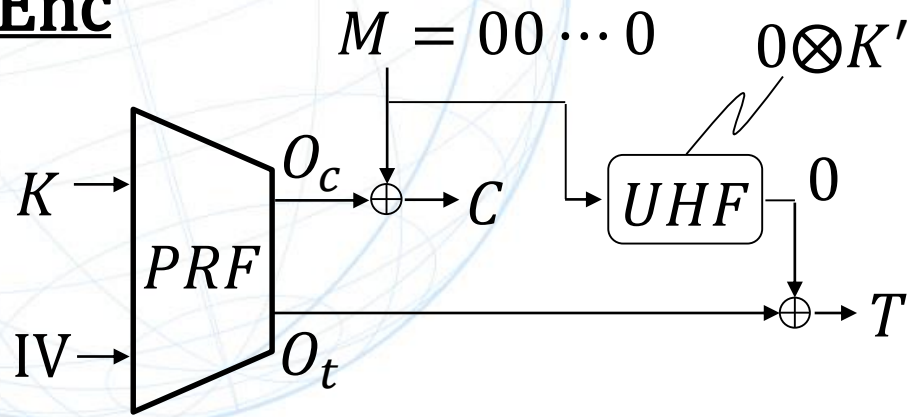
# High-level Ideas

- Twinkle-AE is secure as long as the assumption is held.  
*In every invocation, PRF output is random.*
- However, in some parameters,
  - claimed confidentiality level is higher than that of integrity:  
allowing something more than exhaustive guesses on the tag
  - claimed confidentiality level is bigger than the nonce size:  
nonce-repeat is inevitable
- For such parameters, authentication key is recovered with  $O(2^t)$  queries, and then universal forgery is possible.

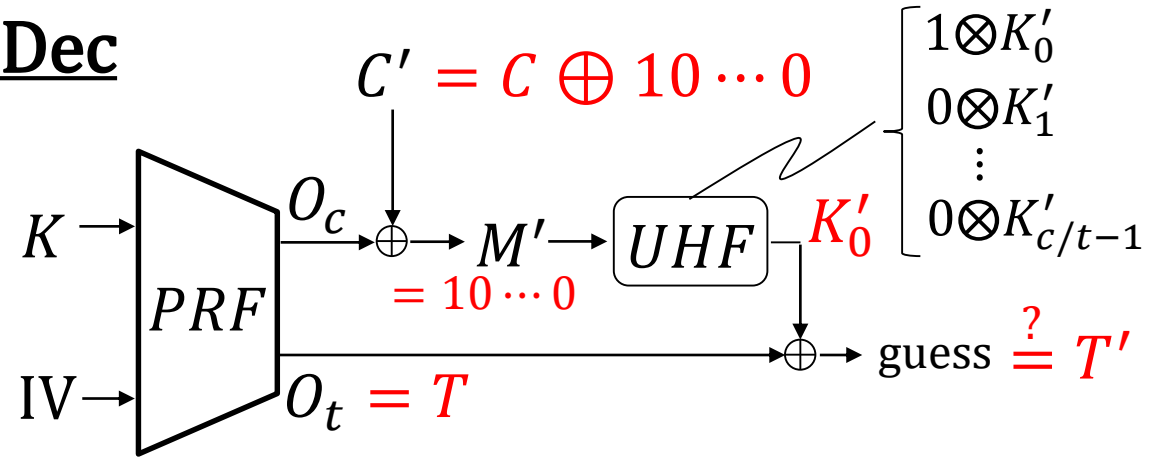


# Nonce-Respect Authentication Key-Recovery

Enc



Dec



1. Set  $M \leftarrow 0$ . For some  $N$ , make Enc query of  $(N, M)$  to obtain  $(C, T)$ .  
Since  $0 \otimes K' = 0$  for any  $K'$ ,  $(C, T)$  reveals PRF's output:  $O_c = C, O_t = T$ .
2. Set  $C' \leftarrow C \oplus 10 \dots 0$  to ensure Dec results for  $N, C' = 10 \dots 0$ .  
Since  $1 \otimes K'_0 = K'_0$  for any  $K'_0$ , it ensures  $UHF(M' \otimes K') = K'_0$ .
3. Guess  $T'$  for all  $O(2^t)$  choices, and make Dec query of  $(N, C', T')$ .  
If verification succeeds,  $K'_0 = T' \oplus O_t$ .

# More Impact

## Universal forgery after recovering $K'$

- For any  $M$ , with  $O(1)$  cost, the adversary can find a  $(N, C, T)$  such that the decryption result is  $M$ .
- breaks confidentiality w.r.t. IND-CCA2

## Nonce-misuse $K'$ recovery with $O(1)$ cost

- Query  $(C, T) \leftarrow \text{Enc}(N, M = 00000000)$ .
- Query  $(C', T') \leftarrow \text{Enc}(N, M' = 10000000)$ .

Then,  $K'_0 = T' \oplus O_t$

## Attacking key-commitment security with $O(1)$ cost

- Straightforward. Note that the designers didn't claim this security.

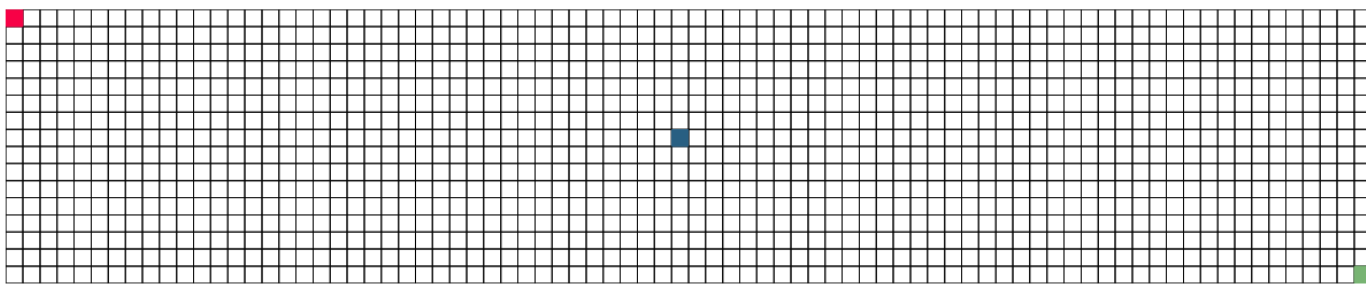
# Cryptanalysis on the Underlying Permutation

We analyze the security of Twinkle-P as a standalone permutation, regardless of how it is used in the mode of operation.

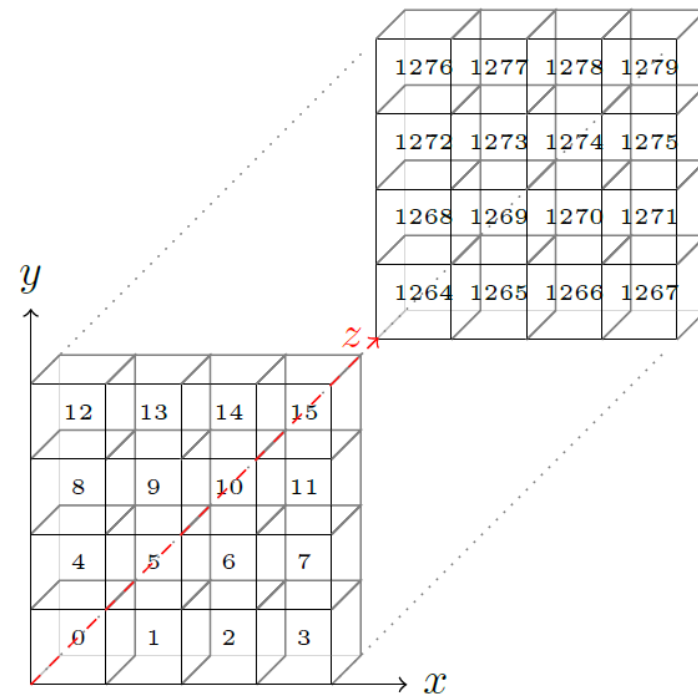
# Description of Twinkle-P

## SPN-Style Round Function (total: 18.5, 9.5, or 5 rounds)

- SubBytes
- LaneRotation0
- MixSlice
- LaneRotation1
- AddConstant



(b) 2D representation of the **Twinkle** internal state



(a) 3D representation of a the **Twinkle** internal state

# Summary of Attack Results

- Main challenge: the large size (1280-bit state)
- investigated attacks by developing automated tools

Distinguisher	#Rounds	#Distinguishers	Attack complexity	Ref.
Differential	4	—	$> 2^{58}$	[32]
Linear	4	1	$2^{60}$	[32]
Truncated Differential	3.5	1	$2^{7.4}$	[32]
<u>Differential-Linear</u>	4	80	2	subsection 5.6
	5	80	$2 \cdot 2^{5.70}$	subsection 5.6
	6	80	$2 \cdot 2^{73.32}$	subsection 5.6
Impossible Differential	4	$80 \cdot 2^{1820}$	—	subsection 5.3
	5	$80 \cdot 2^{1148}$	—	subsection 5.3
	6	$80 \cdot 2^{356}$	—	subsection 5.3
Zero-Correlation Linear	4	$80 \cdot 2^{1278}$	—	subsection 5.4
	5	$80 \cdot 2^{1140}$	—	subsection 5.4
	6	$80 \cdot 2^{16}$	—	subsection 5.4
Integral	3	80	2	subsection 5.4
	4	80	$2^4$	subsection 5.4
	5	80	$2^{12}$	subsection 5.5

practical,  
implemented

best attack

Table 1: Summary of distinguishers for Twinkle-P

# Tools Used to Evaluate Each Attack

- Modeling S-box: **S-box Analyzer** from [ToSC22,ToSC24]
- Imp Diff / Zero-correlation: We implemented two approaches.
  - **negative CP model** [Eurocrypt17]
  - **positive CP model** [Eurocrypt23,ToSC24]
- Integral (division property)
  - **MILP-based model** [FSE16,Asiacrypt16]
- Differential Linear
  - **Technique by Hadipour et al.** [CRYPTO24]
  - 5-round attack with a complexity of  $2 \cdot 2^{5.70}$  was experimentally verified.
  - 6-round attack with a complexity of  $2 \cdot 2^{73.32}$  is the current best attack.

- This talk: Cryptanalysis for Twinkle from mode and primitive.

## Mode

- recover  $c$ -bit auth key with  $O(2^t)$  queries, where  $c \in \{512, 1024\}$ ,  $t \in \{64, 128\}$
- $O(1)$  in nonce misuse, inevitable when confidentiality is larger than IV size.

## Primitive

- analyzed the internal permutation by developing automated tools
  - 5-round practical attack and 6-round theoretical attack by differential-linear
- Our attacks do not work for 2 schemes with balanced conf-int.
  - The attacked 4 schemes can also be secure if the claimed confidentiality is compromised to be equal to the *integrity*.

*Thank you for your attention!!*